



Simplified ac model of the LVD-SCSI bus.

**Equation 1. Magnitude of initial voltage at driver output for an *asymmetrical* LVD-SCSI bus.**

$$v_o(t=0+) = i_o(t=0+) \frac{Z_0}{2} + V_{os}(t=0-)$$

$$v_o(t=0+) = i_o(t=0+) \frac{Z_0}{2} + I_o(t=0-) \frac{Z_t}{2} + V_{os}$$

A *symmetrical* bus would simply make the  $V_{os}$  term zero giving,

**Equation 2. Magnitude of initial voltage at driver output for a *symmetrical* LVD-SCSI bus.**

$$v_o(t=0+) = i_{osym}(t=0+) \frac{Z_0}{2} + I_o(t=0-) \frac{Z_t}{2}$$

For **any** necessary  $v_o(t=0+)$  voltage level, the difference between the driver output current to an *asymmetrical* bus and a *symmetrical* bus would be Equation 2 subtracted from Equation 1.

**Equation 3. Difference between the driver output current for an *asymmetrical* versus *symmetrical* LVD-SCSI bus.**

$$v_o(t=0+) = i_o(t=0+) \frac{Z_0}{2} + I_o(t=0-) \frac{Z_t}{2} + V_{os}$$

$$-v_o(t=0+) = i_{osym}(t=0+) \frac{Z_0}{2} + I_o(t=0-) \frac{Z_t}{2}$$

$$0 = \frac{Z_0}{2} (i_o(t=0+) - i_{osym}(t=0+)) + V_{os}$$

$$(i_o(t=0+) - i_{osym}(t=0+)) = \frac{-2V_{os}}{Z_0}$$

From the requirements for Fast-40,  $100 \text{ mV} \leq V_{os} \leq 125 \text{ mV}$  and  $110\Omega \leq Z_0 \leq 135\Omega$  and during negation ( $i_o$  is positive),

$$-2.27 \text{ mA} \leq (i_o(t=0+) - i_{osym}(t=0+)) \leq -1.48 \text{ mA} .$$

During assertion ( $i_o$  is negative),

$$1.48 \text{ mA} \leq (i_o(t=0+) - i_{osym}(t=0+)) \leq 2.27 \text{ mA} .$$

When negating an *asymmetrical* LVD-SCSI bus, a driver supplies at least 1.48 mA to 2.27 mA **less** current than would be required for a *symmetrical* bus. When asserting, the driver can deliver 1.48 mA to 2.27 mA **more** than would be required for a *symmetrical* bus. With equal probability of the bus being negated or asserted, a driver designed to drive an *asymmetrical* bus would require  $0 \text{ mA} \pm 0.395 \text{ mA}$  average output current compared to that of a *symmetrical* design.